

MCTS-based Automated Negotiation Agent

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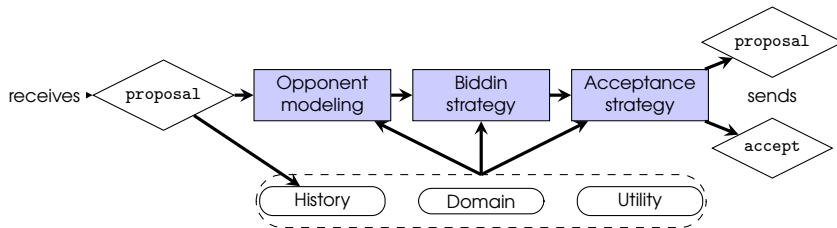


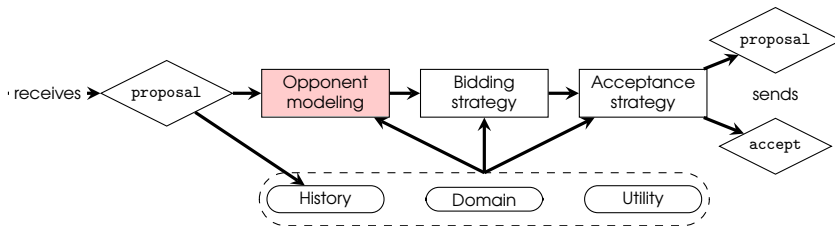
Goal: an agent able to negotiate when:

- the protocol is bargaining with or *without* deadline
- goods are multi-issues, categorical and/or continuous

Example: invoice trading for supply chain

BOA [1]: Bidding Strategy, Opponent modeling & Acceptance strategy





Gaussian Process regression (extension of multivariate Gaussian) [8]

Let (x_i, y_i) . Suppose:

$$\begin{pmatrix} y_1 \\ \vdots \\ y_n \end{pmatrix} \sim \mathcal{N}(\mathbf{0}, K(x_i))$$

with K , covariance matrix representing the proximity of the negotiation turns with each others, according to a covariance function k :

$$K(x_i) = (k_{jk}) = (k(x_j, x_k))$$

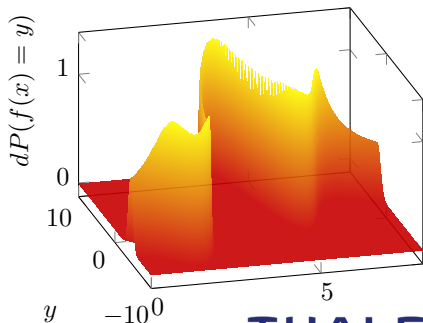
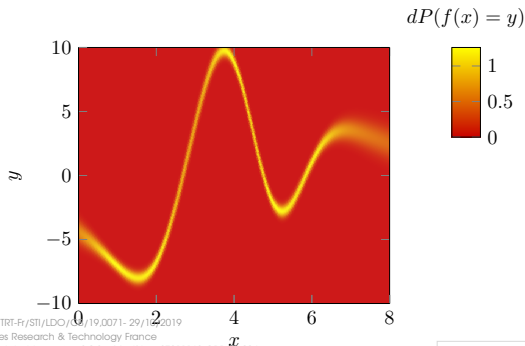
Then, we predict for turn x_* :

$$\begin{pmatrix} y_1 \\ \vdots \\ y_n \\ y_* \end{pmatrix} \sim \mathcal{N}(\mathbf{0}, K(x_i, x_*))$$

Following multivariate Gaussian theorem:

$$\begin{cases} \bar{y}_* = K_* K^{-1} \mathbf{y} \\ \sigma_* = \text{var}(y_*) = K_{**} - K_* K^{-1} K_*^\top \end{cases}$$

where $K_* = (k(x_*, x_1), \dots, k(x_*, x_n))$ et $K_{**} = k(x_*, x_*)$.



Based on Bayesian learning [6]

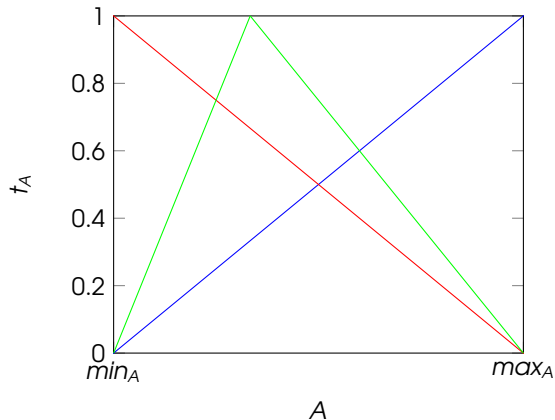
Bayesian learning hypothesis:

- triangular functions t_i for each issue
- a rank τ_i for the issue $i \rightarrow$ weight

$$w_i = 2 \frac{\tau_i}{n \cdot (n + 1)}$$

For an offer (x_1, \dots, x_n) , prediction:

$$h(b) = \sum_{1 \leq i \leq n} w_i \cdot t_i(x_i)$$



Probability of each hypothesis supposed Gaussian

Concessions supposed monotonous and approx. regular

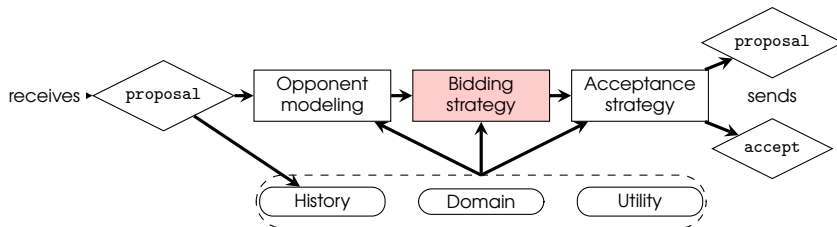
- ($\approx u^0 : b \mapsto 1 - \alpha_u \cdot \text{round}(b)$, with α_u a parameter)

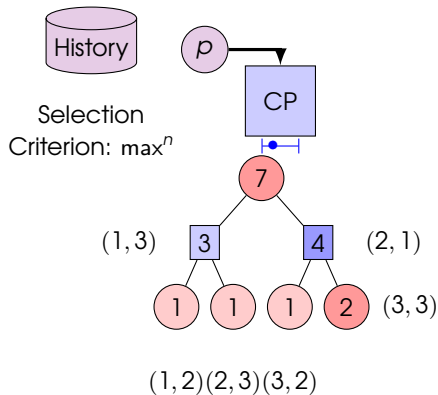
$$P(b|h_j) = \frac{1}{\sigma \cdot \sqrt{2\pi}} \cdot e^{-\frac{(u_j(b) - u^0(b))^2}{2\sigma^2}} \text{ et } P(h_j|b) = \frac{P(h_j)P(b|h_j)}{\sum_{k \leq m} P(h_k)P(b|h_k)}$$

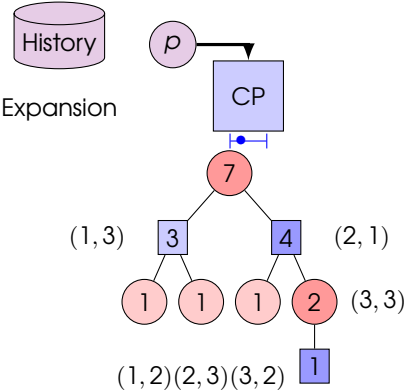
- $P(h_j)$ updated when an offer b received. Model: weighted sum

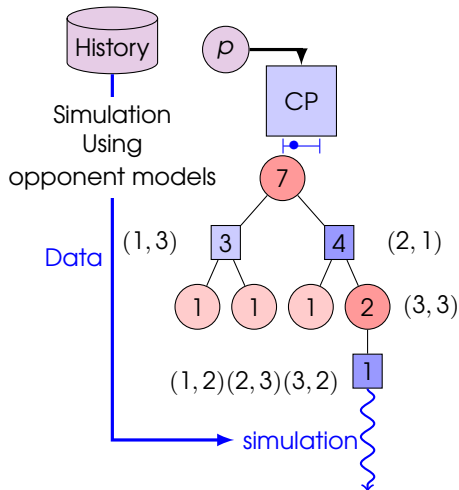
$$u = \sum_j P(h_j|b) \cdot h_j$$

effective for numerical a issues, can be easily generalized to categorical











Selection of j maximizing [4]:

$$C_j = \frac{\bar{X}_j}{n_j + 1} + C \cdot n^{\alpha_s} \sqrt{\frac{\ln(n)}{n_j + 1}}$$

with n total number of simulations, n_j number of times j has been simulated and \bar{X}_j average score of j , C and α_s model parameters.

Expansion of a new node iff [4]

$$n_p^{\alpha_s} \geq n_c$$

with n_p number of times the parent has been simulated and n_c number of its children.

Simulation based on opponent models of bidding strategy & utility

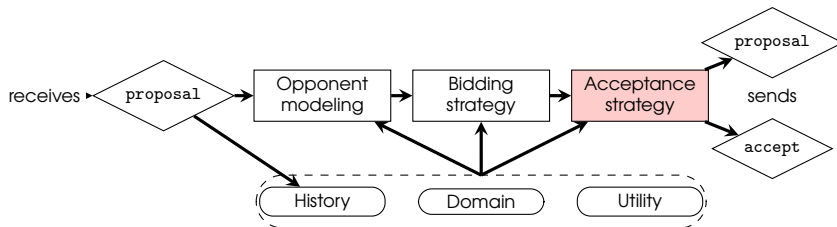
Backpropagation of the scores; agent & opponent scores

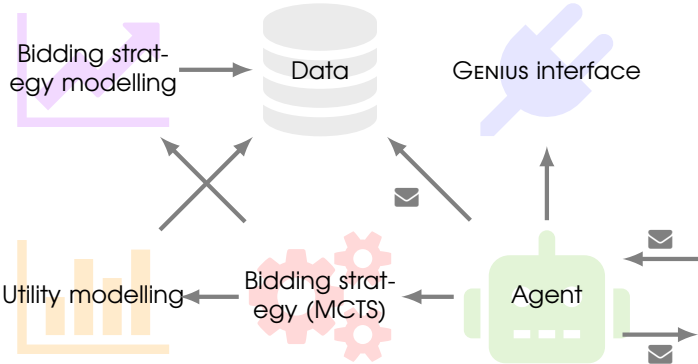
Simulation & backpropagation based on opponent models:

- strategy model (gaussian process regression) [8]
- utility model (apprentissage bayésien) [6]

Pruning

- based on opponent's offers
- delete nodes whose utility is lower than the best opponent proposalsuppression des noeuds dont l'utilité est pire que la meilleure proposition adverse,





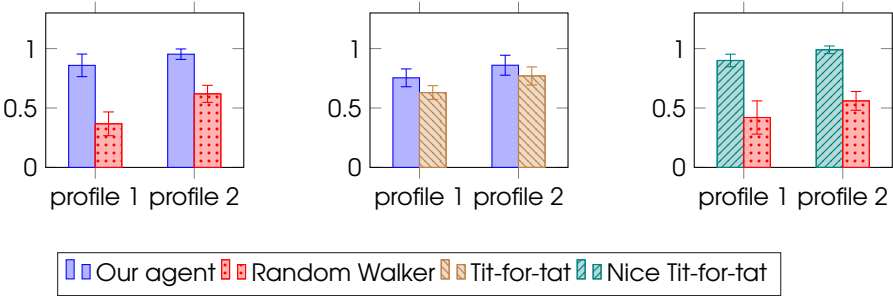
Agents that can negotiate without deadlines:

- RandomWalker [2],
- Tit-for-tat [5],
- Nice Tit-for-tat [2].

Negotiation domain: ANAC 2014 [7]

- very large (discrete though),
- numerical,
- nonlinear preferences,
- set without deadline.

Negotiating with Nice Tit-For-Tat: unable to conclude; negotiations never end










Conclusion:

- an agent able to negotiate without predetermined deadline with continuous & categorical issues,
- negotiation strategy based on MCTS, with 2 opponent models and pruning,
- experimental results: outperforms Random Walker & Tit-for-Tat; no significant difference with Nice Tit-for-Tat.

Perspectives:

- customized version to adapt to the context where the deadline is known,
- adapt to the multilateral context,
- use MCTS variations & improvements (AMAF, RAVE...) [3].

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